

Math 361**Quiz 8**

1. (4 pts.) Here is a proof that in a ring, a distributive property of multiplication over *subtraction* always holds. Give a reason for each equality sign.

$$\begin{aligned} a(b - c) &\stackrel{(a)}{=} a[b + (-c)] \\ &\stackrel{(b)}{=} ab + a(-c) \\ &\stackrel{(c)}{=} ab + [-(ac)] \\ &\stackrel{(d)}{=} ab - ac \end{aligned}$$

2. (6 pts.) Let $(R, +)$ be an abelian group. Show that $(R, +, \cdot)$ is a ring if we define $ab = 0$ for all $a, b \in R$.